

Fundamentals Properties of Nanomaterials

By

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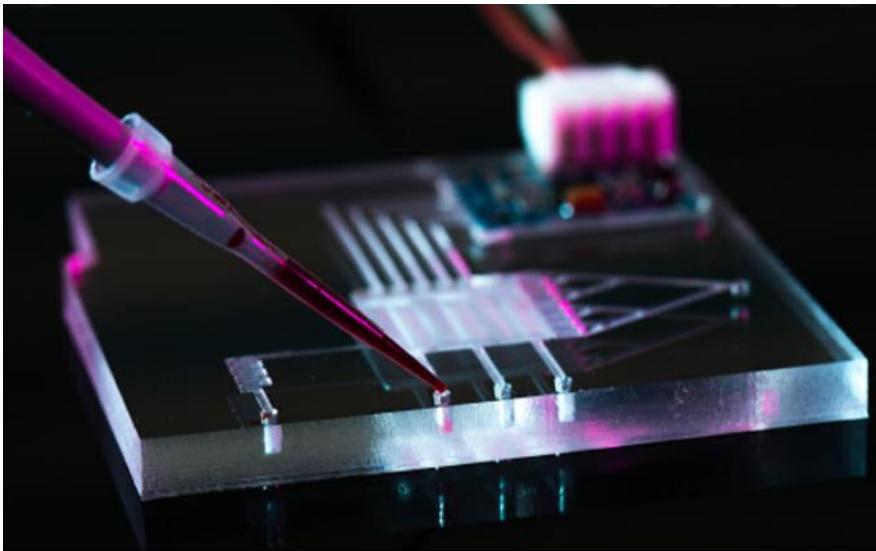


The topics of the course

- Chapter One: Fundamental Properties of Nanomaterials
- Chapter Two: Preparation Methods of Nanomaterials
- Chapter Three: Nanomaterials Characterization
- Chapter Four: Application of Nanomaterials

What is the Nanotechnology?

- The National Nanotechnology Initiative characterizes nanotechnology as manipulating matter with at least one dimension between 1 and 100 nanometers.

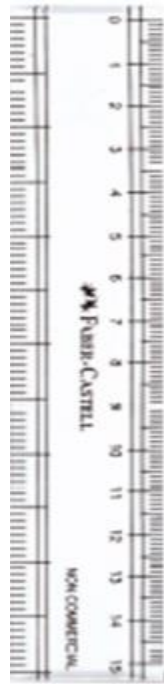


What is the Nanotechnology?

- NASA is defined nanotechnology as “The creation of functional materials, devices and systems through control of matter on the nanometer length scale (1–100 nm), and exploitation of novel phenomena and properties (physical, chemical, biological) at that length”.

How small is Nanoscale?

- Nano is Greek means **dwarf** but Nano is infinitely smaller than a dwarf.



- It is one billionth of a meter or 10^{-9} m.

How small is Nanoscale

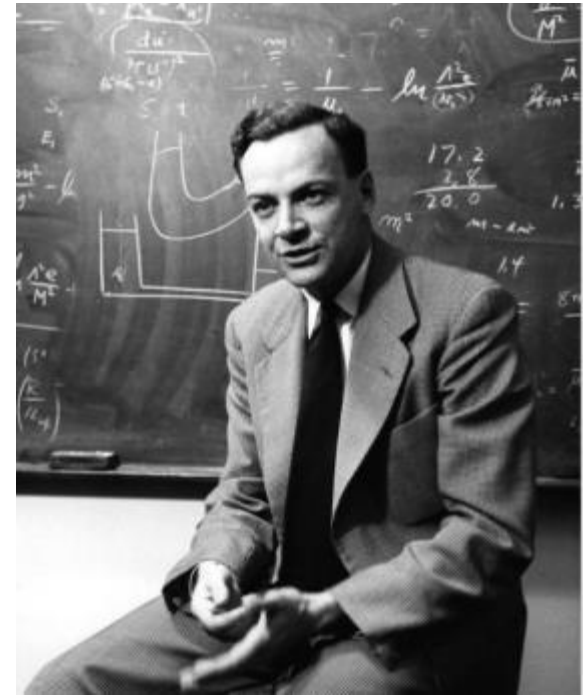
- The nanometer is the scale used to measure objects in the nanoworld.

| | |
|--------------------|-------------------|
| 10. Elephant | 5 m |
| 9. Human | 1 m |
| 8. Head of pin | 2 mm |
| 7. Grain of sand | 1 mm |
| 6. Dust mite | 200 μm |
| 5. Human hair | 100 μm |
| 4. Red blood cell | 10 μm |
| 3. Virus | 100 nm |
| 2. Diameter of DNA | 2 nm |
| 1. Atom | 0.1 nm |



History of Nanomaterials

- Richard Feynman, a Nobel Laureate in Physics, delivered the inaugural lecture on the applications of nanoscale materials. His lecture, titled **“There’s Plenty of Room at the Bottom,”** was presented on 29 December 1959 during the annual meeting of the American Physical Society at the California Institute of Technology.



History of Nanomaterials

- In 1974 **Norio Taniguchi** first used the defined term nanotechnology as: **mainly consisting of the processing of separation, consolidation, and deformation of materials by one atom or one molecule**



History of Nanomaterials

Table 1.2 Chronological table of nanotechnology.

| Year | Remarks | Country/people |
|--------------|---|---|
| 1200–1300 BC | Discovery of soluble gold | Egypt and China |
| 290–325 AD | Lycurgus cup | Alexandria or Rome |
| 1618 | First book on colloidal gold | F. Antonii |
| 1676 | Book published on drinkable gold that contains metallic gold in neutral media | J. von Löwenstern-Kunckel (Germany) |
| 1718 | Publication of a complete treatise on colloidal gold | Hans Heinrich Helcher |
| 1857 | Synthesis of colloidal gold | M. Faraday (The Royal Institution of Great Britain) |
| 1902 | Surface plasmon resonance (SPR) | R. W. Wood (Johns Hopkins University, USA) |
| 1908 | Scattering and absorption of electromagnetic fields by a | G. Mie (University of Göttingen, Germany) |

Some Physical Properties of Nanomaterials

- **Magic Numbers**

As previously mentioned, a reduction in particle radius results in an increased surface-to-volume ratio. Consequently, the proportion of surface atoms rises as the particle size diminishes. Generally, for a sphere, the relationship between the number of surface and bulk atoms can be expressed by specific formulas. **The fraction of atoms F_A** on the surface of a spherical nanoparticle can be expressed as

$$F_A = \frac{3}{r_A n^{1/3}}$$

- **Surface area A and volume V of the nanoparticles** were calculated in the following format equations:

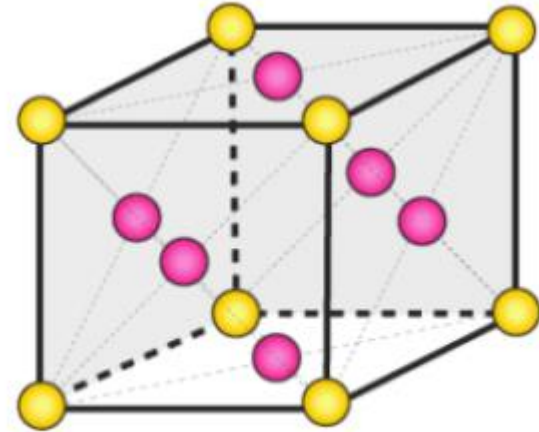
$$A = 4\pi r_A^2 n^{2/3} \quad V = \frac{4\pi}{3} r_A^3 n$$

- r_A is the atomic radius, n is the number of atoms

Some Physical Properties of Nanomaterials

- Consider a crystalline nanoparticle as an example: in addition to the particle's **morphology** (shape), we must also consider its **crystalline structure**.
- For demonstration purposes, we consider a nanoparticle exhibiting a **face-centred cubic (FCC)** structure. This crystal structure holds practical significance, as nanoparticles of gold (Au), silver (Ag), nickel (Ni), aluminium (Al), copper (Cu), and platinum (Pt) display structure.

- ❖ FCC has 14 atoms on the surface



Face-centred Cubic Unit Cell (FCC)

- The total number of surface atoms: $N_{total}^S = 12n^2 + 2$
- The total number of Bulk atoms:

$$N_{total}^B = 4n^3 - 6n^2 + 3n - 1$$

Some Physical Properties of Nanomaterials

- **Why is the magic number important??**

1) Enhanced Stability

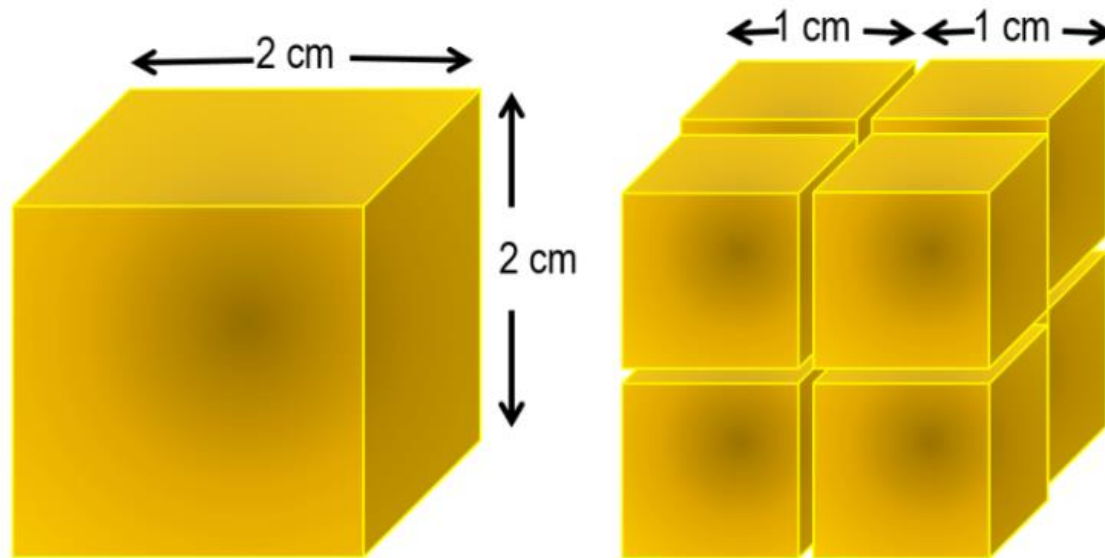
Nanostructures with magic numbers often exhibit greater stability due to their optimized atomic arrangements, leading to lower surface energies and increased resistance to aggregation or degradation.

2) Unique Properties

The particular atomic arrangements linked to magic numbers can yield unique electrical, optical, magnetic, or catalytic characteristics.

Some Physical Properties of Nanomaterials

- Surface area-to-volume ratio



| # of Cube (s) | Dimensions (cm) | Surface Area (l x l x 6 cm ²) | Volume (l x l x l cm ³) | Surface Area/Volume ratio |
|---------------|-----------------|---|-------------------------------------|---------------------------|
| 1 | 2 x 2 | (2 x 2 x 6) = 24 | (2 x 2 x 2) = 8 | 3 |
| 8 | 1 x 1 | 8 (1 x 1 x 6) = 48 | 8 (1 x 1 x 1) = 8 | 6 |

Reference of image: <https://www.theptsci.eu/nano/>

Some Physical Properties of Nanomaterials

How would the total surface area increase if a cube of 1 m^3 were progressively cut into smaller and smaller cubes, until it is formed of 1 nm^3 cubes? Table 1 summarises the results.

| Size of cube side | Number of cubes | Collective Surface Area |
|------------------------------------|----------------------------|-------------------------------------|
| 1 m | 1 | 6 m^2 |
| 0.1 m | 1000 | 60 m^2 |
| 0.01 m = 1cm | $10^6 = 1 \text{ million}$ | 600 m^2 |
| 0.001 m = 1mm | $10^9 = 1 \text{ billion}$ | 6000 m^2 |
| $10^{-9} \text{ m} = 1 \text{ nm}$ | 10^{27} | $6 \times 10^9 = 6000 \text{ Km}^2$ |

THANK YOU

