

**FA** is characterized into two types:

1. **Deterministic Finite Automata (DFA):**

DFA consists of 5 tuples  $\{Q, \Sigma, q, F, \delta\}$ .

Q: a set of all states.

$\Sigma$ : a set of input symbols. (Symbols that which machine takes as input)

q: Initial state. (Starting state of a machine)

F: the set of the final state.

$\delta$ : Transition Function, defined as  $\delta: Q \times \Sigma \rightarrow Q$ .

In a DFA, for a particular input character, the machine goes to one state only. A transition function is defined on every state for every input symbol. Also in DFA null (or  $\epsilon$  or  $\lambda$ ) move is not allowed.

For example, below DFA with  $\Sigma = \{0, 1\}$  accepts all strings ending with 0.

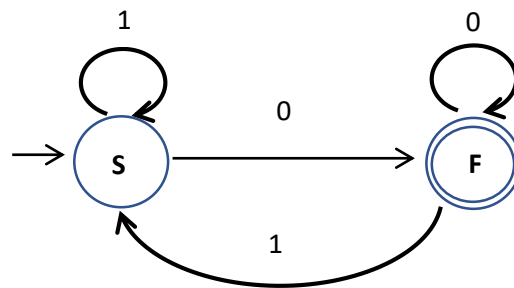


Figure: DFA with  $\Sigma = \{0, 1\}$

## 2. Nondeterministic Finite Automata(NFA): NFA is similar to DFA

except following additional features:

- Null (or  $\epsilon$  or  $\lambda$ ) move is allowed i.e., it can move forward without reading symbols.
- Ability to transmit to any number of states for a particular input.

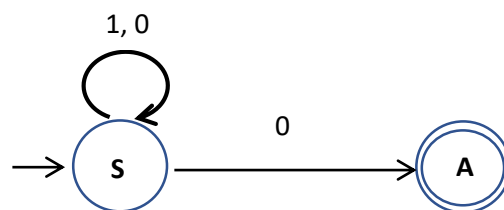


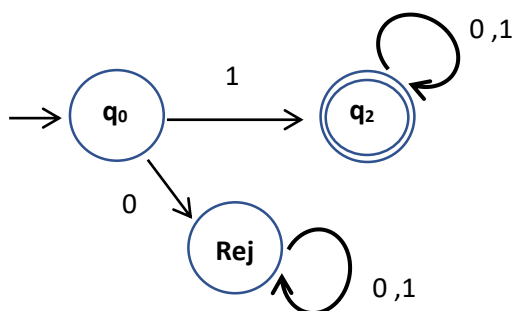
Figure: NFA with  $\Sigma = \{0, 1\}$

### Example /

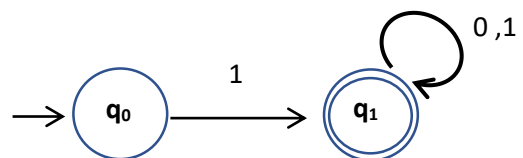
$L = \{1x \mid x \in \{0,1\}^*\}$  in DFA, NFA machines.

### Answer /

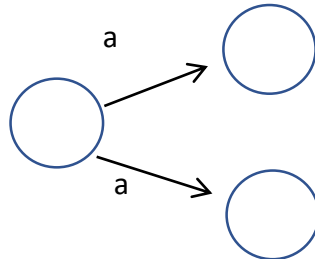
DFA:



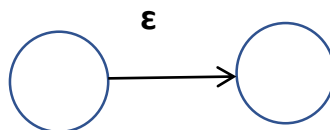
NFA:



- ❖ A nondeterministic finite automata (NFA) allows transitions on a symbol from one state to possibly more than one other state.



- ❖ Allow  $\epsilon$ -transitions from one state to another whereby we can move from the first state to the second without inputting the next character.



- ❖ In an NFA a state may have zero, one, or more exiting arrows for each symbol of alphabet.

$$\Sigma = \{a, b, c\}$$

