

Ground water and well hydraulics

(G306-Second semester 2021-2022)

Lecture -5

Dr.Inass Abdal Razaq Al-Mallah

For confined aquifer:

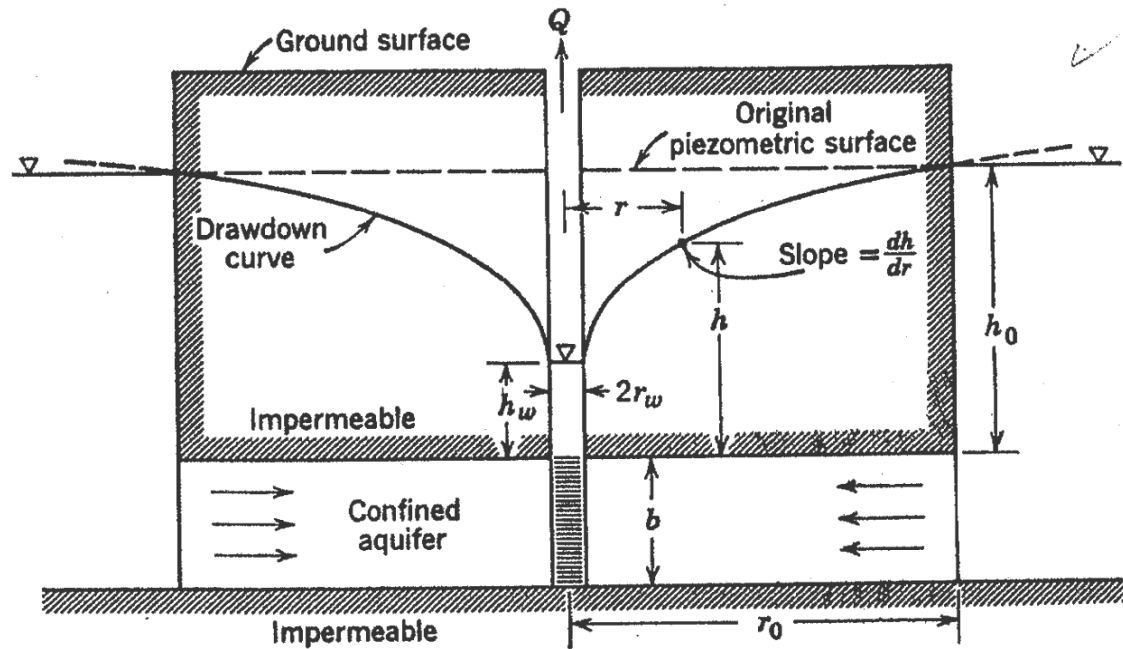


Fig. 4.3. Steady radial flow to a well penetrating a confined aquifer on an island.

When a well is pumped, water is removed from the aquifer surrounding the well and the water table or piezometric surface, depending on the type of aquifer, is lowered. The drawdown at a point is the distance the water level is lowered. The drawdown curve shows the variation of drawdown with distance from the well.

For unconfined aquifer:

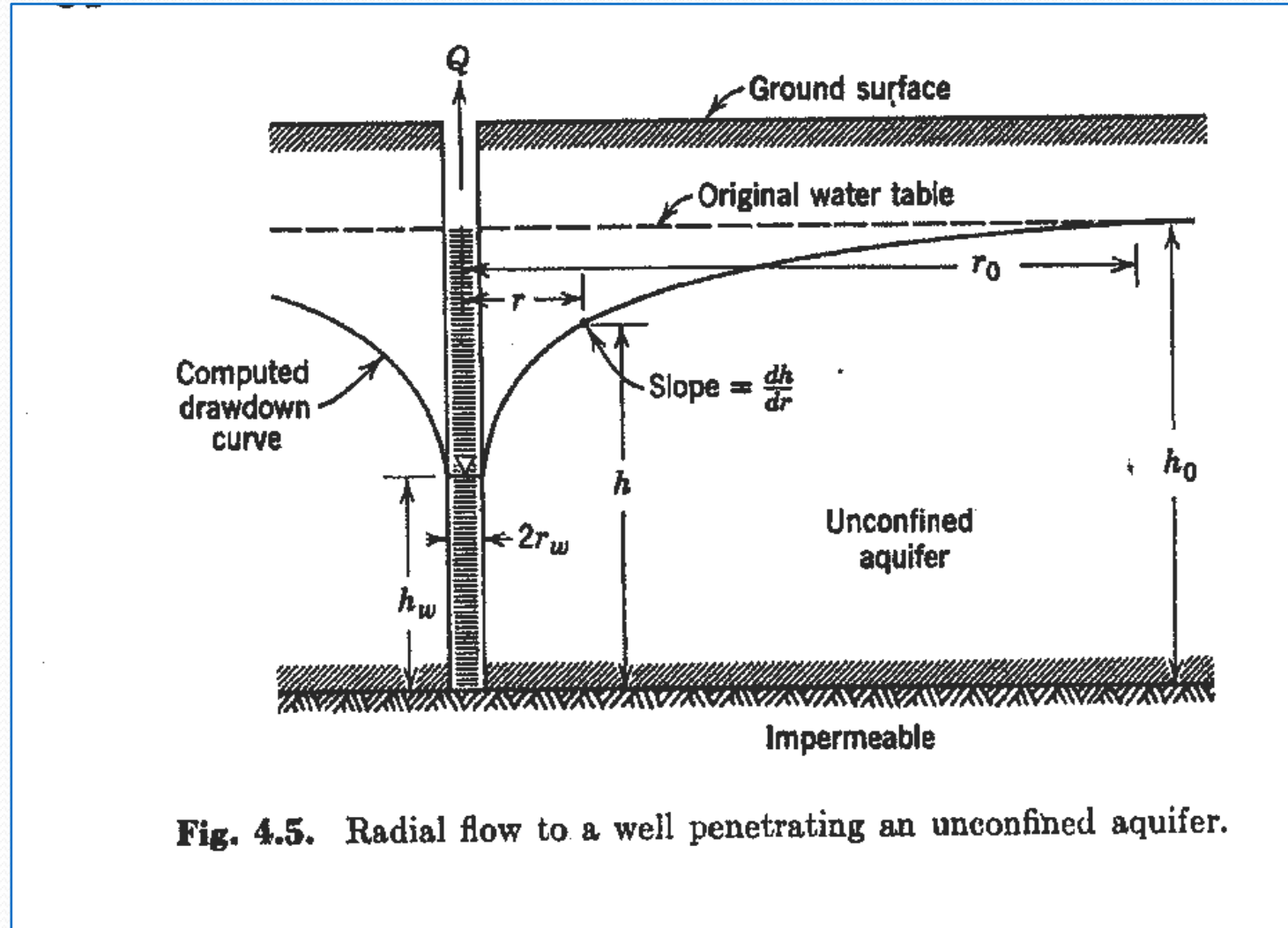


Fig. 4.5. Radial flow to a well penetrating an unconfined aquifer.

Ground water **pumping tests analysis**

Non equilibrium equation for pumping tests

To use this application of test must required a sum of assumptions:

- 1-The aquifer is homogenous and isotropic.
- 2-the aquifer is of infinite areal extent.
- 3-the well penetrates the entire aquifer.
- 4-the well diameter is infinitesimal.
- 5-the water removed from storage is discharged instantaneously with decline of heads.

Then average values of S & T are obtained in the vicinity of the pumped well by measuring in one or more observation wells the decline of head with time under the influences of a constant pumping rate.

Unsteady state flow in confined aquifer (Theis's method)

Theis(1935) was the first to develop a formula for unsteady state flow that introduces the time factor and the storativity. The assumption should be satisfied is:

1-the same assumption above

6-the aquifer is pumped at constant discharge rate

7-the flow to the well is in unsteady state flow .i.e the hydraulic gradient is **not constant** with time.

$$kD = \frac{Q}{4\pi s} w(u) \dots\dots\dots 1$$

$$S = 4kD \left(\frac{t}{r^2} \right) u \dots\dots\dots 2$$

Where: $w(u)$, u = Theis well function

Jacob method (cooper and Jacob, 1946)

The Jacob method is based on the formula $s = (Q/4\pi kD)w(u)$, but when he solve this equation he found that $\ln(u)$ in the series become so small that they can be neglected .

So for values of u ($u < 0.01$), the drawdown can be approximated by:

$$T = kD \frac{2.3Q}{4\pi \Delta s} \dots \dots 1$$

$$S = \frac{2.25Tt_0}{r^2} \dots \dots 2$$

The following assumptions & conditions should be satisfied :

- The same assumption of this method
- The values of u are small ($u < 0.01$) to avoid large errors ,i.e. r is small and t is large.

Steady state flow in confined aquifer (Theim's method)

The assumptions & conditions are:

- 1-the aquifer has infinite areal extent
- 2-the aquifer is hom., isot., and uniform thickness over the area influenced by the pumping test
- 3-the aquifer is pumped at constant discharge rate
- 4-the pumped well penetrates the entire aquifer
- 5- the flow to the well is in steady state (the hydraulic gradient is constant with time)
- 6-the aquifer is confined

The well discharge can be expressed as:

$$Q = \frac{2\pi kD(h_2 - h_1)}{\ln(r_2/r_1)} = \frac{2\pi kD(h_2 - h_1)}{2.30 \log(r_2/r_1)}$$

r_2, r_1 = the respective distance of the piezometers from the well in m

h_2, h_1 = the respective steady state elevations of the water levels in the piezometers in m